

# Covert continuous-variable quantum key distribution

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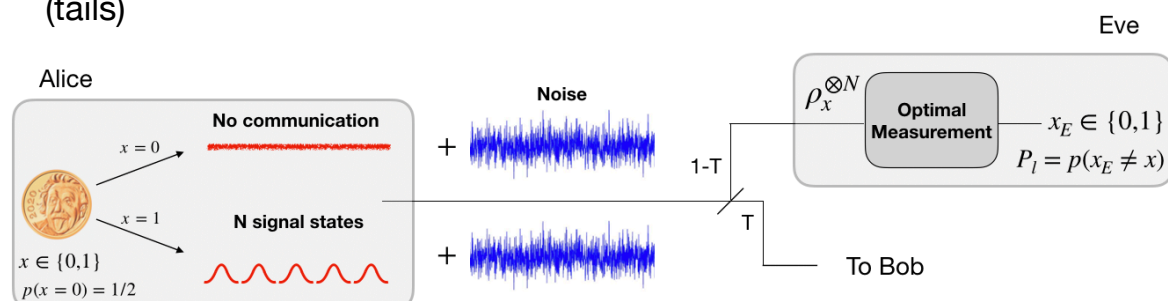
## Context :

- QKD offers information-theoretical security on a distilled key between two users.
- However QKD does not guarantee the communication between both users is undetectable
- This can be an issue as this knowledge can sometimes pose a great threat to user privacy. For critical applications, secrecy is not sufficient

**Objective :** In this work we investigate the performance of CV-QKD when the signal is covert. We show it is impractical. However, using a block-coherent encoding technique over multiple modes we show quantum key establishment can be performed covertly.

## Covert communication :

- Alice flips a coin and sends N signal states to Bob if the result is tails.
- Eve intercepts all signal which does not reach Bob and performs an optimal measurement to decide if the communication is taking place, which amounts to distinguishing between states  $\rho_0^{\otimes N}$  (heads) and  $\rho_1^{\otimes N}$  (tails)

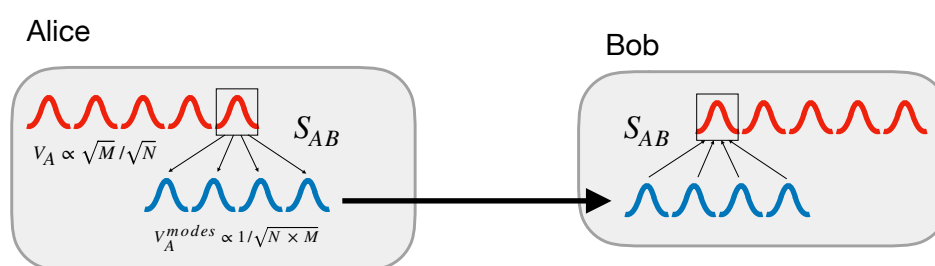


- The communication is covert if Eve's error probability can be brought arbitrarily close to a random guess, i.e. 1/2, up to a factor  $\epsilon$

## Enabling covert CV-QKD with block-coherent encoding :

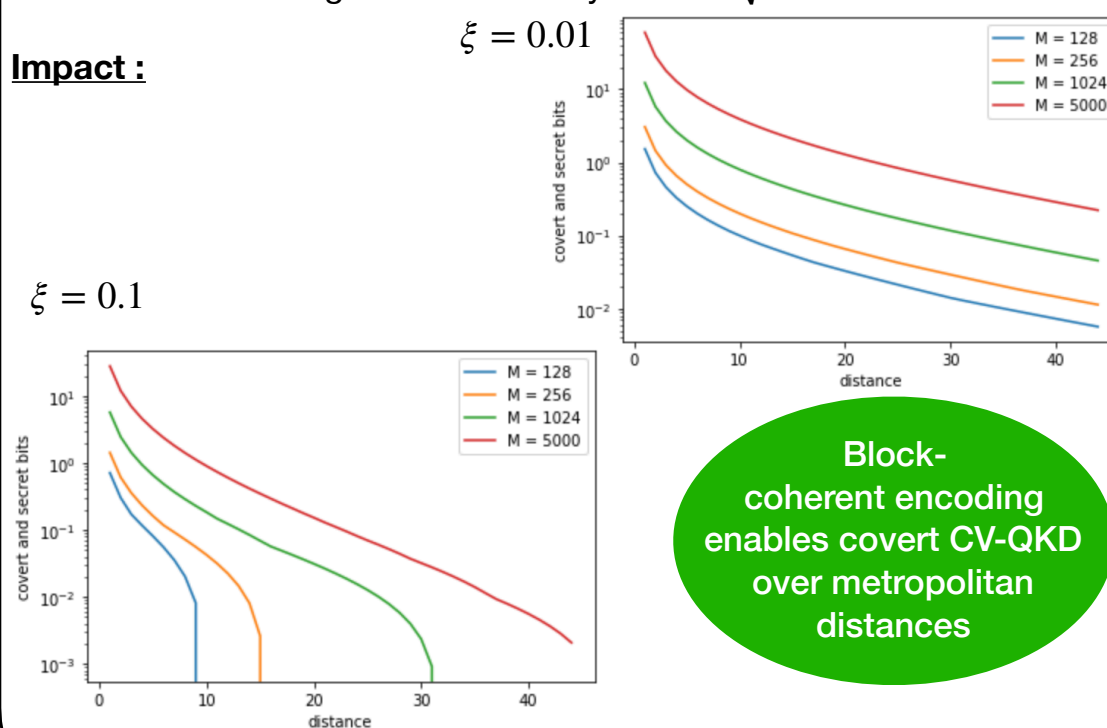
We propose an original idea to boost the SNR in the covert setting.

1. Alice generates N signal states sequentially
2. Each signal state is then equally split with a M-mode unitary indexed by a secret  $S_{AB}$  shared with Bob.
3. Individual modes are sent to Bob over the channel
4. With his knowledge of  $S_{AB}$  Bob recombines every set of M modes into the original signal states.
5. Bob performs his QKD measurement and goes on to the post-processing phase with Alice.



This increases the signal state SNR by a factor  $\sqrt{M}$ .

## Impact :



Block-coherent encoding enables covert CV-QKD over metropolitan distances

The covertness of the protocol can be translated into this constraint on the signal power, or the modulation variance  $V_A$

$$V_A \leq \frac{4\epsilon \sqrt{\xi/2(1 + (1-T)\xi/2)}}{\sqrt{N(1-T)}}$$

Individual signal power scales as  $1/\sqrt{N}$ .

Covert communications require some noise to hide the signal, more noise equals more allowed signal.

## Infeasibility of CV-QKD with the covert power constraint :

We upper-bound the number of bits generated by the covert CV-QKD protocol over what we call the set of experimentally achievable parameters.

To do this we set :

- $T = 0.99$
- $\epsilon = 0.1$
- $\beta = 0.99$  (due to imperfect reconciliation)

Then we optimise the number of bits obtained with the covert CV-QKD protocol over N and  $\xi$ .

**Result :** no more than 0.77 secret bits can be obtained covertly via covert CV-QKD, which we argue is impractical

**Issue :** Achieving covertness requires a  $V_A$  too small