

Clock recovery for a CV-QKD system

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1. Introduction

- A typical laboratory CV-QKD setup has the benefit of being clock synchronized using a RF cable
- A realistic CV-QKD system must be able to perform clock synchronization without this capability
- Existing solutions consist of:
 - \succ Transmitting the clock on a different frequency [1]



- \succ Time multiplexing the clock tone [2,3]
- Alice and Bob must hold classical communications with each other
- ✤ We propose to use the classical signal to aide in performing clock recovery on the QKD signal
- ✤ Alice modulates a 20 Mbaud quantum signal with mean photon number $N \approx 2.5$, frequency multiplexed QPSK signal and two pilot tones onto laser with a 1 Gsample/s AWG and transmits over 20 km SMF
- Bob detects the signal with a balanced heterodyne setup with $\eta \approx 0.84$
- Tx and Rx lasers are free running
- Measurement performed with 40 blocks of 25 frames 40 x 10³ symbols long

3. Digital Signal Processing

- Frequency offset estimation performed by estimating location of both pilot tones and then calculating the relative error per Hz to determine frequency of received signals as defined by Bob
- Phase estimation performed using machine learning framework [4]
- Modified Gardner timing error detector for optimum sampling point $\tau_{err}(n) = \left(\left| y(n - \frac{sps}{2}) \right|^2 - \left| y(n + \frac{sps}{2}) \right|^2 \right) \times |y(n)|^2$
- Extract and find known QPSK header symbols



- Synchronize quantum signal
- Extract quantum symbols
- Correct for any residual phase

sps	Samples per symbol
у	Rx signal
n	Sample index per symbol
$ au_{err}$	Timing error

4. Results

- ✤ Initial benchmark performed with a 10 MHz external clock synchronizing Alice and Bob
- Modulation and detection are triggered hence the spread of delays increase with progression through frame numbers
- Asynchronous measurements yielded similar values of excess noise to synchronized with respective means of 1.3 and 2.2 mEP, $\sigma = 5.5$ and 5.2 mEP
- This corresponds to asymptotic key rates of 0.0587 and 0.0476 bits per symbol



5. Conclusions

- The proposed clock synchronization procedure performs well when performed for an asynchronous CV-QKD system yielding similar performance to an externally ••• clock synchronized system
- The algorithm doesn't require additional hardware complexity
- The performance is bounded by the signal to noise ratio of the classical channel which, over typical CV-QKD transmission distances is more than sufficient

References			
[1] T. Eriksson et al. IEEE SUM, 2018 [2] D.B.S. Soh et al. Phys. Rev. X, 5 , 4 (2015)	[3] T. Wang et al. Phys. Rev. A, 97 , 1 (2018) [4] HM. Chin et al. npj Quantum Inf, 7 , 20 (2021)		
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